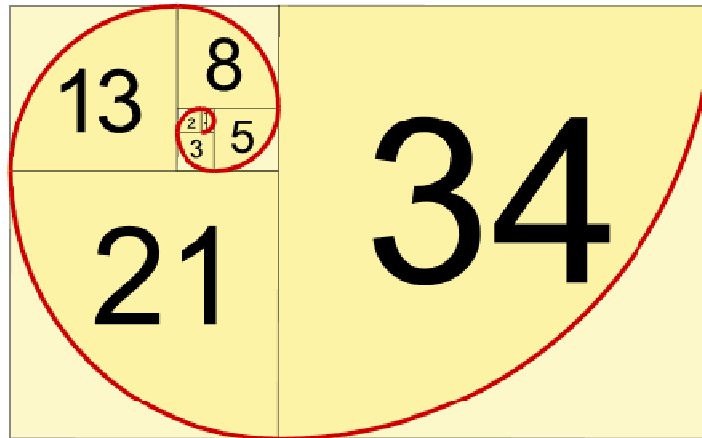


## Are numbers real?

As project managers we use numbers every day of the week but how real are they?

In the western world, numbers in the form we know and use today appeared in the 13th century when Leonardo Pisano Bigollo (c.1170 – c.1250), known as Fibonacci an Italian mathematician, published the *Liber Abaci* (1202). Fibonacci was born around 1170 to Guglielmo Bonacci, a wealthy Italian merchant. Guglielmo directed a trading post in Bugia, a port east of Algiers in the Almohad dynasty's sultanate in North Africa (now Béjaïa, Algeria). As a young boy, Fibonacci travelled with him to help; it was there he learned about the Hindu-Arabic numeral system described in his book.

*Liber Abaci* was well received throughout educated Europe and had a profound impact on European thought. In the book, Fibonacci advocated numeration with the digits 0–9 and place value, and showed the practical importance of the new numeral system by applying it to commercial bookkeeping<sup>1</sup>, and other applications. He introduced the Fibonacci sequence which has many applications (the sequence is created by adding the previous 2 numbers 1, 2, 3, 5, 8, etc.)

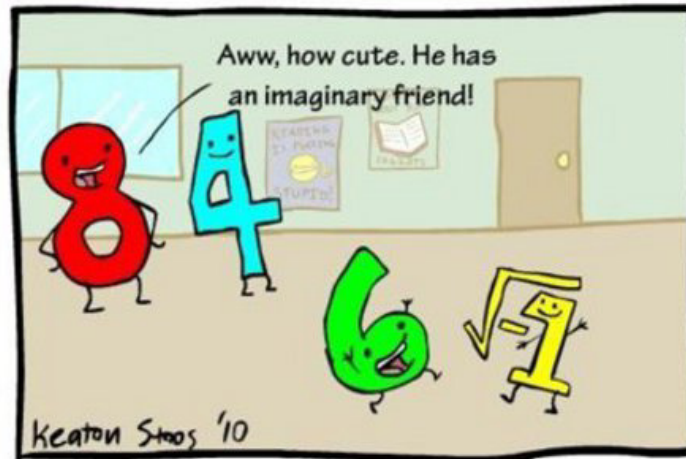


Our modern numbers are descended from the Hindu-Arabic numeral system developed by ancient Indian mathematicians, in which a sequence of digits such as '975' is read as a single number. These Indian numerals are traditionally thought to have been adopted by the Muslim Persian and Arab mathematicians in India, and passed on to the Arabs further west with the current form of the numerals developing in North Africa and studied by Fibonacci.

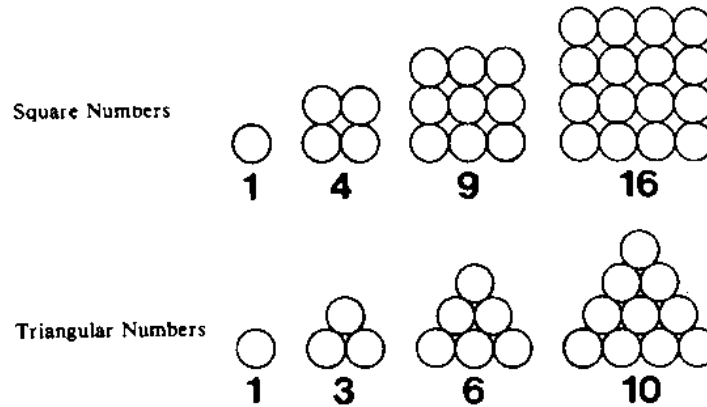
This numbering system is easy to use and widespread but it was not the first or last. Romans and earlier Mediterranean civilisations had their systems and most of the modern world relies on binary mathematics. Duodecimals were used in the UK prior to metrication (based on 12 to deal with measurements in feet and inches) etc. Which raises the question how real are numbers?

Some numbers are 'irrational' such as the 'square root of 2' and  $\pi$  (Pi) - there is no complete answer. Others are imaginary such as the square root of minus 1.

<sup>1</sup> If you have ever wondered why accountants have such a strong position in the project management world, double-entry bookkeeping developed in medieval Europe based on the work of Fibonacci. Modern project management developed in the 1960s.



In Ancient Greece, Pythagoras studied the concept of square and triangular numbers and identified the irrational characteristics of the 'square root of 2' but leading a sect devoted to the power of numbers to describe the world, kept the inconvenience of irrational numbers secret



The sect of the Pythagoreans was based on the perfection of numbers and geometry which is rather challenged if you cannot define the length of the diagonal of a square..... particularly when you preach that 'numbers are everything'. To solve the conundrum the Pythagoreans called such lengths 'alolon' - the word has two meanings, 'not a ratio' and 'not to be spoken'. Breaking the secret could be fatal. According to legend, when one of his followers, Hippasus broke the oath of silence he was assassinated which is certainly taking an interest in numbers to an extreme!

And then there are strange sequences that build fascinating patterns:

- 1 x 8 + 1 = 9
- 12 x 8 + 2 = 98
- 123 x 8 + 3 = 987
- 1234 x 8 + 4 = 9876
- 12345 x 8 + 5 = 98765
- 123456 x 8 + 6 = 987654
- 1234567 x 8 + 7 = 9876543
- 12345678 x 8 + 8 = 98765432
- 123456789 x 8 + 9 = 987654321



$$1 \times 9 + 2 = 11$$

$$12 \times 9 + 3 = 111$$

$$123 \times 9 + 4 = 1111$$

$$1234 \times 9 + 5 = 11111$$

$$12345 \times 9 + 6 = 111111$$

$$123456 \times 9 + 7 = 1111111$$

$$1234567 \times 9 + 8 = 11111111$$

$$12345678 \times 9 + 9 = 111111111$$

$$123456789 \times 9 + 10 = 1111111111$$

Give our reliance on mathematics for virtually everything how 'real' is a system that cannot define the ratio between the diameter and circumference of a circle<sup>2</sup> but can generate fascinating sequences like those above?

There's no answer to this question other than to suggest there are 10 types of people in the world – those who understand binary mathematics and those that don't.



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<sup>2</sup>  $\pi$  (pi) is the ratio between the diameter and circumference of a circle, it is approximately equal to 3.14159. However the precise value has recently (14<sup>th</sup> March 2019) been calculated to 31,415,926,535,897 digits behind the decimal point without getting a finite answer! However,  $\pi \times 10^{13}$  is probably near enough for most people: [https://en.wikipedia.org/wiki/Chronology\\_of\\_computation\\_of\\_%CF%80](https://en.wikipedia.org/wiki/Chronology_of_computation_of_%CF%80)